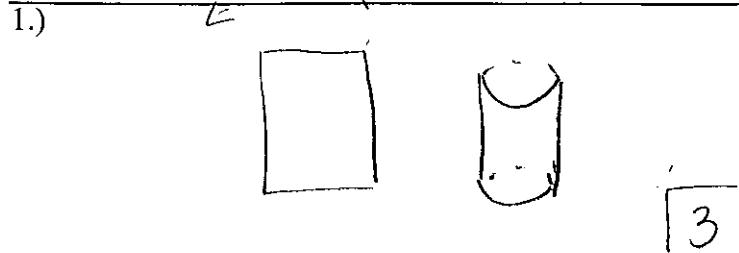


PART I: YOU MUST SHOW ALL WORK FOR FULL CREDIT!!!



2.)

$$3(6) = \boxed{18}$$

4)

3.) $x^2 + 4x = -(y^2 - 20)$

$$\begin{aligned} x^2 + 4x &= -y^2 + 20 \\ x^2 + 4x + y^2 - 20 &= 0 \end{aligned}$$

Step 2

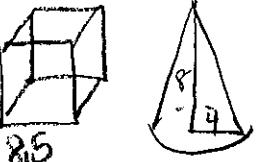
2)

translation - sluff
(no turn or flip)

1)

- 5.)
 (1) SAS (3) LS not in between
 (2) AA (4) SAS

3)

6.) 

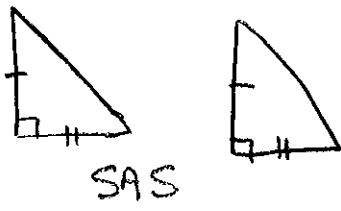
$$(8.5)^3 - \frac{1}{3}\pi(4)^28$$

$V = S^3$

$$V = \frac{1}{3}\pi r^2 h$$

4)

7.)



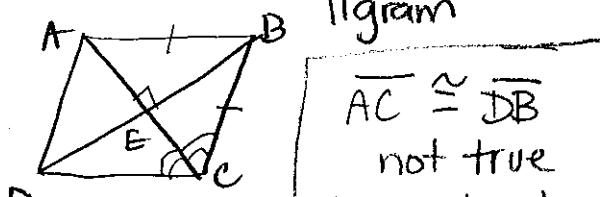
3)

dilation, rotation

size increase turn 90°

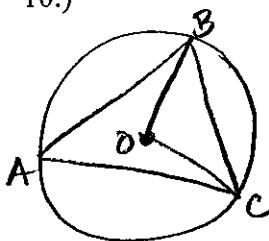
4)

9.)



1)

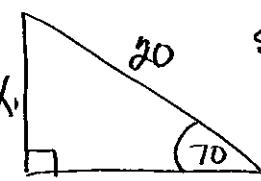
10.)



$$\angle BAC = \frac{1}{2} \angle BOC$$

2)

11.)


 $\sin 90^\circ = \frac{x}{25}$
 $x \sin 90^\circ = 20 \sin 70^\circ$
 $x = \frac{20 \sin 70^\circ}{\sin 90^\circ}$

4)

12.)

$$m = \frac{-7.5}{5-11} = \frac{-12}{16} = \boxed{\frac{-3}{4}}$$

$$y = mx + b$$

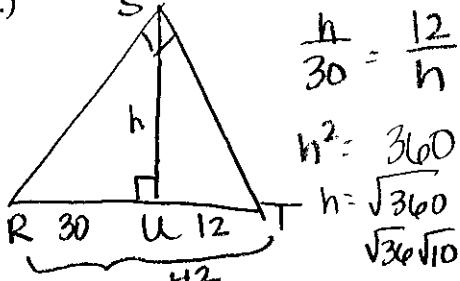
$$y + 1 = \frac{1}{3}(x + 3)$$

$$mp = \left(-\frac{11+5}{2}, \frac{5+(-1)}{2}\right)$$

$$= \left(-\frac{3}{2}, \frac{2}{2}\right) = \boxed{(-3, 1)}$$

1)

13.)



2)

$$m_{BC} = \frac{3-1}{7-2} = \frac{2}{5}$$

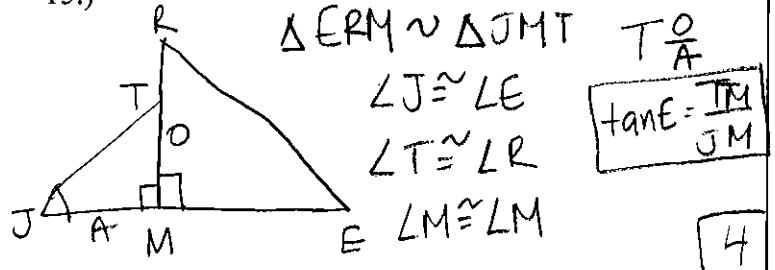
altitude \perp
to BC

$$1m = \frac{-5}{2}$$

4)

14.)

15.)



16.)

$$ABCD \rightarrow KLMN$$

$$\begin{array}{l} A \rightarrow K \\ B \rightarrow L \\ C \rightarrow M \\ D \rightarrow N \end{array}$$

reflection
over
x-axis

3

17.)

$$\frac{4}{X} = \frac{6}{15}$$

$$6X = 60$$

$$X = 10$$

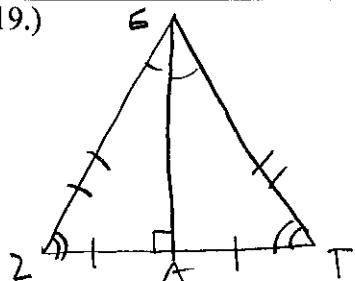
4

18.)

1.202 per liter

2

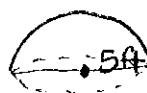
19.)



2

20.)

$$V = \frac{\frac{4}{3}\pi r^3}{2} = \frac{\frac{4}{3}\pi(5)^3}{2} = 261,799.3878$$



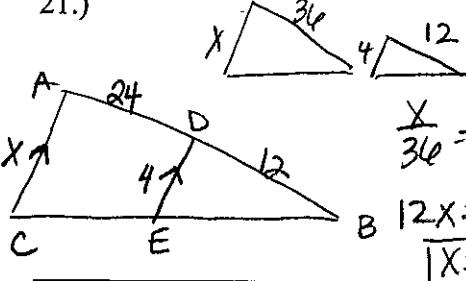
$$d = \frac{m}{V} \quad 62.4 = \frac{m}{261,799.3878}$$

$$D = 62.4 \text{ lbs/ft}^3$$

$$m = 16336.2818$$

1

21.)



2

3

22.)

$$\text{mp}_{\text{AB}} = \left(\frac{3+3}{2}, \frac{3+(-1)}{2}\right)$$

$$= \left(\frac{6}{2}, \frac{-4}{2}\right) = (3, -2)$$

1

24.)

$$A = \frac{\pi}{360} \pi r^2 = \frac{40}{360} \pi (8)^2$$

$$\frac{3840}{360} \frac{\pi}{120} = \frac{32\pi}{3}$$

3

25.)

Reflect over x-axis

Translation 6 units right

$$C(3, 6) \xrightarrow{\text{reflect over x-axis}} T(6, 0) \xrightarrow{\text{translation 6 units right}} (3, -6)$$

$$26.) \quad 4:5 \rightarrow \frac{4}{9} (4, 2) (22, 2) \text{ Part II}$$

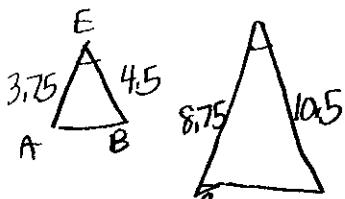
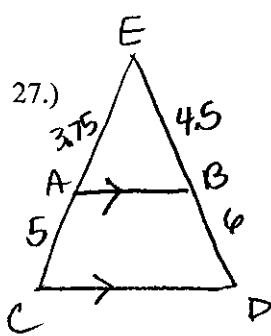
$$(x_1 + \frac{4}{9}(x_2 - x_1) + y_1 + \frac{4}{9}(y_2 - y_1))$$

$$(4 + \frac{4}{9}(22-4), 2 + \frac{4}{9}(2-2))$$

$$(4 + \frac{4}{9}(18), 2 + \frac{4}{9}(0))$$

$$(4+8, 2+0)$$

$$(12, 2)$$



$$\frac{3.75}{8.75} = \frac{4.5}{10.5}$$

$$4.5(8.75) = (3.75)(10.5)$$

$$39.375 = 39.375$$

$\triangle EAB \sim \triangle ECD$

by SAS b/c corresponding sides are in proportion & the Ls in between are \cong . In \sim Δ s corresponding Ls are \cong , so $\angle EAB \cong \angle ECD$. If lines are \parallel , corresponding Ls are \cong , so $\overline{AB} \parallel \overline{CD}$.

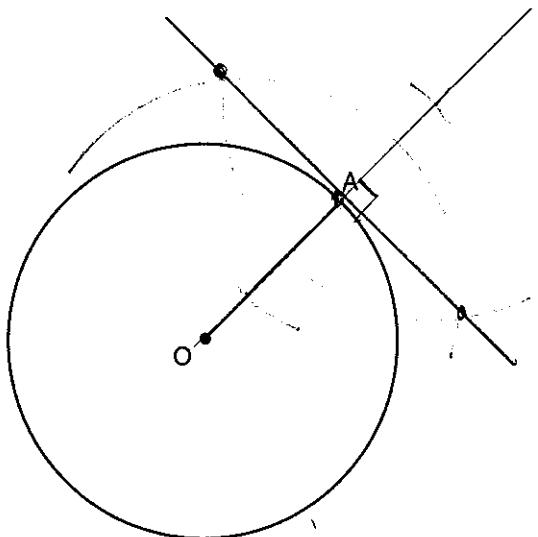
29.)

$$\frac{\pi}{4} = \frac{13\pi}{8}$$

He is correct
b/c both L
measures are
 $=$.

$$.7853 = .7853$$

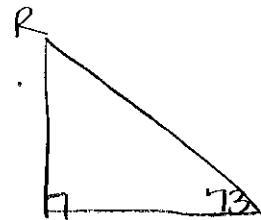
31.)



28.)

$$\sin 73^\circ = \cos R$$

$$90 - 73 = 17^\circ$$



A cofunction means the sin of 1 L must equal the cos of the other L, so they must add to 90°

30.)

$$10^2 + 4^2 = y^2$$

$$100 + 16 = y^2$$

$$116 = y^2$$

$$y = 10.770329461$$

$$\frac{10.770329461}{\sin 90^\circ} = \frac{10}{\sin x}$$

$$10 \sin 90^\circ = 10.770329461$$

$$\frac{10 \sin 90^\circ}{10.770329461} = \frac{10}{10.770329461}$$

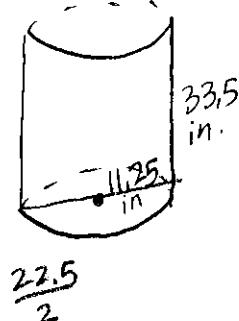
$$\sin x = 0.9284766913$$

$$x = \arcsin 0.9284766913$$

$$x = 68.19859058^\circ$$

32.)

$$1 \text{ gal}^3 = 231 \text{ in}^3 \quad \text{Part III}$$



$$V = \pi r^2 h$$

$$= \pi (11.25)^2 (33.5)$$

$$= 13319.86198 \text{ in}^3$$

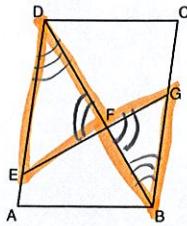
$$\frac{\text{gallons}}{\text{in}^3} = \frac{1}{231} = \frac{x}{13319.86198}$$

$$\frac{231x}{231} = \frac{13319.86198}{231}$$

$$x = 57.44174017$$

$$[57.7 \text{ gallons}]$$

33.)



Statement

Reason

① \parallel gram $ABCD$
diagonal
 DFB

① Given

② $\angle DFE \cong \angle GFB$

② Vertical \angle s are \cong .

③ $\overline{AD} \parallel \overline{BC}$

③ In a \parallel gram opposite sides are \parallel .

④ $\angle LEDB \cong \angle GBD$

④ When 2 \parallel lines are cut by a transversal, alternate interior \angle s are \cong .

⑤ $\triangle DEF \sim \triangle BGF$

⑤ AA \cong AA

34.)

$$AB = \underline{8}$$

$$BC = \underline{6}$$

$$A'B' = 20$$

$$B'C' = 15$$

$$\frac{8}{8}x = \frac{20}{8}$$

$$\frac{4}{4}x = \frac{15}{4}$$

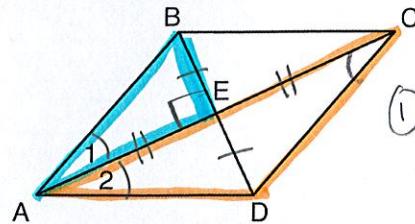
$$x = \frac{5}{2}$$

$$x = \frac{5}{2}$$

Dilation w/ a scale factor of $\frac{5}{2}$.

$\triangle ABC \sim \triangle A'B'C'$ b/c
in a dilation corresponding \angle s remain the same measures and corresponding sides are in the same ratio.

35.)



Statement

Reason

① $\overline{AC} \perp \overline{BD}$ bisect each other
 $\angle 1 \cong \angle 2$

① Given

② $\overline{BE} \cong \overline{DE}, \overline{AE} \cong \overline{CE}$

② A segment bisector divides a segment into 2 \cong segments.

③ Quad ABCD is a ||gram

③ A ||gram has diagonals that bisect each other.

④ $\overline{AB} \parallel \overline{CD}$

④ In a ||gram, opposite sides are \parallel .

⑤ $\angle 1 \cong \angle DCE$

⑤ When 2 \parallel lines are cut by a transversal, alternate interior \angle s are \cong .

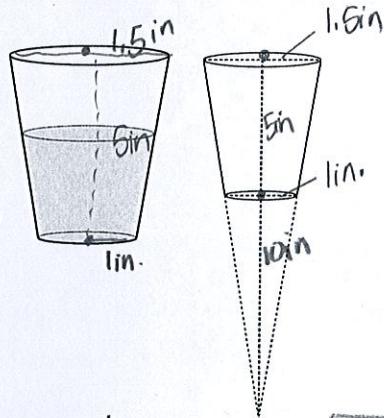
⑥ $\angle 2 \cong \angle DCE$

⑥ Substitution

over →

36.)

$$\frac{3}{2} = 1.5$$

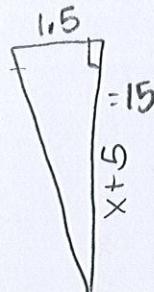


$$V_{\text{whole cone}} = \frac{1}{3} \pi r^2 h$$

$$= \frac{1}{3} \pi (1.5)^2 (15)$$

$$= 35.34291735$$

* The bases must be \parallel so that the 2 right \triangle s are \sim . Then a proportion can be used to solve.



$$\frac{1}{x} = \frac{1.5}{15}$$

$$1.5x = x + 5$$

$$\frac{1.5x - x}{5} = \frac{5}{5}$$

$$x = 10$$

height
larger cone
15

$$V_{\text{smll. cone}} = \frac{1}{3} \pi r^2 h$$

$$= \frac{1}{3} \pi (1)^2 (10)$$

$$= 10.47197551$$

$$35.34291735 - 10.47197551 =$$

$$24.87094184 \text{ in}^3$$

$$24.9 \text{ in}^3$$

<u>Statement</u>	<u>Reason</u>
⑦ $\triangle ACD$ is an isosceles Δ .	⑦ An isosceles Δ has 2 \cong ls
⑧ $\overline{AD} \cong \overline{DC}$	⑧ An isosceles Δ has 2 \cong sides
⑨ gram ABCD is a rhombus.	⑨ A rhombus is equilateral
⑩ $\overline{AC} \perp \overline{BD}$	⑩ In a rhombus diagonals are \perp
⑪ $\angle BED$ is a right \angle	⑪ \perp lines form right ls
⑫ $\triangle BED$ is a right Δ	⑫ Right Δ s have a right \angle .